

Bob Gardner's Quick Guide to the Use of the TI-89 Calculator in Calculus 1

INTRODUCTION

The TI-89 graphing calculator is **very** versatile! This “quick guide” discusses a few commands that will be useful in Calculus 1 applications of the calculator. Since the calculator is so versatile, you may need to refer to the *TI-89 Guidebook* for details on specific settings of your calculator (such as the AUTO/EXACT/APPROX modes). The page numbers mentioned below all refer to the *Guidebook*.

You can get to the home screen from most locations just by pressing the **HOME** key. You can clear the home screen by pressing **F1** **8**. You can set the calculator in radians mode by pressing

MODE **▽** **▽** **▽** **▷** **1**.

To display a decimal approximation or representation of a precise number, press **◇** **ENTER** (for example, if the calculator is in EXACT mode then it displays $1 \div 3$ as $1/3$, but if you evaluate $1 \div 3$ by pressing **◇** **ENTER** the calculator returns .333333). The text editor can be accessed by pressing **APPS** **8**. To determine the number of digits displayed in approximations, press **MODE** **▽** **▽** **▷**, select the number of digits you desire, and hit **ENTER** **ENTER**. To choose between AUTO, EXACT, and APPROXIMATE, press **MODE** followed by **▽** 10 times (see page 22)

EVALUATING LIMITS

The syntax for evaluating $\lim_{x \rightarrow a} f(x)$ is

`limit(f(x), x, a).`

To access this operation press **F3** **3** (this displays “limit(”), enter the function f , press **,**, enter the variable you are using (probably **X**), press **,**, enter the value which the variable approaches, and press **)**. Hit **ENTER** and the limit is evaluated (see page 64).

Example 1. To see that $\lim_{x \rightarrow 0} \frac{\sin x}{x} = 1$, perform these keystrokes:

F3 **3** **2nd** **sin** **X** **)** **÷** **X** **,** **X** **,** **0** **)** **ENTER**.

The result is then displayed in “pretty print” (if turned on).

CALCULATING DERIVATIVES

The syntax for evaluating the derivative of $f(x)$ is:

$$d(f(x), x) \text{ or } d(f(x), x, 1).$$

You can calculate higher order derivatives as:

$$d(f(x), x, n)$$

for the n th derivative. To access this operation for the first derivative of f , press **F3** **1** (this displays “d(”), enter the function f , press **▢**, enter the variable (probably **X**), and press **▢**. Hit **ENTER** and the limit is evaluated (see page 64).

Example 2. To see that the derivative of $\tan x$ is $\sec^2 x = \frac{1}{\cos^2 x}$, perform the keystrokes:

$$\boxed{\text{F3}} \boxed{1} \boxed{2\text{nd}} \boxed{\tan} \boxed{X} \boxed{)} \boxed{,} \boxed{X} \boxed{)} \boxed{\text{ENTER}}.$$

Again, the result is presented in pretty print.

GRAPHING

See Chapter 6 of the *Guidebook* for a detailed explanation of the TI-89's graphing ability.

First, we enter the function to be graphed. This can be done by pressing either **◊** **Y=** or **APPS** **2**. Then enter a function to be graphed as one of the subscripted y 's. Next, select (or deselect) the function(s) to be graphed by placing a \checkmark next to the desired function(s) using **F4** to toggle the \checkmark . Then to graph the function(s) press **◊** **GRAPH**.

Example 3. To graph $\cos x$ perform these keystrokes (assuming there are no other functions in the Y= Editor already):

$$\boxed{\diamond} \boxed{Y=} \boxed{2\text{nd}} \boxed{\cos} \boxed{X} \boxed{)} \boxed{\text{ENTER}} \boxed{\diamond} \boxed{\text{GRAPH}}.$$

You can adjust the “window” (i.e. the range of x and y values over which the function is displayed) by pressing **◊** **WINDOW** and adjusting as you desire. From the displayed graph, two convenient functions are **ZOOM** and **TRACE** (accessed by pressing **F2** and **F3** respectively — see pages 105–109 for details).

EVALUATING ANTIDERIVATIVES

The syntax for finding an antiderivative of a function f is

$$f(\text{f(x)}, \text{x}).$$

To access this operation, press **F3** **2** (this displays “ $f($ ”), enter f , press **,**, enter the variable of the function (probably **X**), and press **)**. Hit **ENTER** and an antiderivative is displayed (if the calculator can find one — if it cannot, it just displays the symbols for the indefinite integral).

Example 4. To see that an antiderivative of $1/x$ is $\ln|x|$, perform these keystrokes:

$$\boxed{\text{F3}} \boxed{2} \boxed{1} \boxed{\div} \boxed{\text{X}} \boxed{,} \boxed{\text{X}} \boxed{)} \boxed{\text{ENTER}}.$$

EVALUATING DEFINITE INTEGRALS

The syntax for evaluating $\int_a^b f(x) dx$ is

$$f(\text{f(x)}, \text{x}, \text{a}, \text{b}).$$

To access this operation, press **F3** **2**, enter f , press **,**, enter the variable (probably **X**), press **,**, enter a , enter b , and press **)**. Hit **ENTER** and the result is displayed if the calculator can find an exact value and is in **EXACT** mode. If the calculator cannot find an exact value, then you can get a numerical approximation by hitting **◇** **ENTER** (or just **ENTER** if the calculator is in **AUTO** or **APPROX** mode).

Example 5. To see that $\int_0^1 x^2 dx = \frac{1}{3}$, perform these keystrokes:

$$\boxed{\text{F3}} \boxed{2} \boxed{\text{X}} \boxed{\wedge} \boxed{2} \boxed{,} \boxed{\text{X}} \boxed{,} \boxed{0} \boxed{,} \boxed{1} \boxed{)} \boxed{\text{ENTER}}.$$

Example 6. To approximate $\int_0^1 2^{x^2} dx$, perform these keystrokes:

$$\boxed{\text{F3}} \boxed{2} \boxed{2} \boxed{\wedge} \boxed{(} \boxed{\text{X}} \boxed{\wedge} \boxed{2} \boxed{)} \boxed{,} \boxed{\text{X}} \boxed{,} \boxed{0} \boxed{,} \boxed{1} \boxed{)}.$$

If the calculator is in **EXACT** mode and you press **ENTER**, then the calculator will just give you the question in pretty print. You can press **◇** **ENTER** to get a numerical approximation. Or, if the calculator is in **AUTO** or **APPROX** mode you can just hit **ENTER**. In either case, you get the numerical value 1.28823.