Name:
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Math 1530 section number

## MATH 1530 CAPSTONE TECHNOLOGY PROJECT

SPRING 2019

Problem 1: Sampling In the survey data, the variable "AGE" is the age in years for each student.
a. Starting with the first observation, select every $20^{\text {th }}$ observation until you have 10 observations. Assume the first observation was randomly chosen as the starting point. Type the 10 observations from the column representing the variable AGE into the table below, and use this as your sample data for part (b). Then calculate the mean age of these 10 observations and report the value below.

| N | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| AGE | 55 | 32 | 25 | 22 | 21 | 20 | 20 | 20 | 20 | 19 |

b. The mean age of the above 10 students is $\mathbf{2 5 . 4}$. (Type the value into the space provided.)
c. What type of sampling was used in part (a)? systematic sampling
d. Next, select a random sample of size $\mathrm{n}=10$ (Go to Calc > Random Data > Sample from Columns). Type the number 10 in the "Number of rows to Sample" slot. Enter the variable "ID" and "AGE" into the "From columns" slot. Enter C18-C19 into the "Store samples in" slot. Record the data for your sample in the table below.

| N | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| ID | 413 | 357 | 147 | 394 | 465 | 13 | 468 | 399 | 27 | 6 |
| AGE | 18 | 19 | 20 | 18 | 18 | 34 | 18 | 18 | 29 | 44 |

e. Calculate and report the mean age for your random sample of 10 students. The sample mean age is $\underline{\mathbf{2 3 . 6}}$.

## ANSWERS WILL VARY.

f. What type of sampling was used in part (d)? simple random sample
g. Suppose we think of all the students who responded to the survey as a population for the purposes of this problem. In that case, the population mean age is 19.839. Discuss (two or more complete sentences) the differences and similarities between 19.839 and the answers you got in (b) and (e).

## Instructors will need a bit of flexibility in how to interpret this one's answer.

The 'systematic sample' mean found in (b.) 25.4 is above the 'population' mean 19.839. The 'SRS' mean found in part (d.) of 23.6 is above the population mean of 19.839 . However, in the 'long run,' the distribution of sample means centered around the population mean in both types of sampling.

One may comment that the data was sorted from largest to smallest and thus would cause problems in the systematic sampling.

## Problem 2（e）：If your E number ends in an even number（ $0,2,4,6$, or 8 ）then do this question．（Omit this page／problem if your E ends with an odd number．）

Question 8 of the SPRING 2019 survey asked students，＂What is the fastest you have ever driven an automobile on the highway or interstate（in mph）？＂
a．Create an appropriate graph to display the distribution of the variable called Speed and insert it here．


|  | Boxplot of Speed |
| :---: | :---: |
| 200 |  |
| 150 |  |
| $\begin{aligned} & \text { ٓ. } \\ & \text { in } \\ & \text { in } \end{aligned}$ |  |
| 50 | （\％）＊ |
|  | 苒 |
| 0 | ＊＊＊＊＊＊＊） |

b．Which of the following best describes the shape of the distribution？Underline（or highlight）your answer．
Uniform
Skewed right
Bimodal
Symmetric
Instructors：A student might feel the distribution is slightly skewed right since the mean is larger than the median． Please give credit for both．The answers given in blue will be assuming the data is skewed right．
c．Using Minitab，calculate the basic statistics for the data collected on Speed．Copy and paste all of the Minitab output here．

| Variable | N | $\mathrm{N}^{*}$ | Mean | SE Mean | StDev | Minimum | Q1 | Median | Q3 | Maximum | IQR |
| :--- | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: |
| Speed | 621 | 0 | 94.717 | 0.853 | 21.268 | 0.000 | 85.000 | 90.000 | 105.000 | 180.000 | 20.000 |

Choose statistics that are appropriate for the shape of the distribution to describe the center and spread of Speed．
d．Which statistic will you use to describe the center of the distribution？Mean（or median）；Median
e．In one or two sentences，describe why this statistic was chosen．Since the shape of the distribution is symmetric，the mean should be used to describe the center of the distribution．However，since the mean and the median are approximately the same，one could report either value．

Since the shape of the distribution is skewed right，the median should be used to describe the center of the distribution instead of the mean because the median is robust to outliers while the mean is highly affected by outliers．
f. What is the value of that statistic? $\bar{x}=94.717$ (median $=90$ ); median $=90$
g. Which statistic(s) will you use to describe the spread of the distribution? $\underline{\text { Standard deviation; Q1, Q3, and possible IQR }}$
h. What is (are) the value(s) of that (those) statistic(s)? $\mathbf{s}=\mathbf{2 1 . 2 6 8 ;} \mathbf{Q 1 = 8 5 , \mathrm { Q } 3 = 1 0 5 \text { , and possible } \operatorname { I Q R } = 2 0}$
i. Are there any outliers in this distribution? Justify your answer using the IQR rule or an appropriate plot.

IQR rule says that any value below Q1 - 1.5*IQR or above Q3 + 1.5*IQR are outliers.
$I Q R=Q 3-Q 1=105-85=20$, so 1.5 * $\mid Q R=1.5 * 20=30$.
Q1-1.5 * $\mid Q R=85-30=55$ and $Q 3+1.5$ * $\mid Q R=105+30=135$
Any value of 'Speed' below 55 or above 135 would be considered outliers.

Yes, there are definitely outliers in the distribution of 'Speed' on the upper end.

Minitab shows outliers with * on a boxplot:


## Problem 2(o): If your E number ends in an odd number (1, 3, 5, 7, or 9) then do this question. (Omit this page/problem if your E\# ends with an even number.)

Question 4 of the SPRING 2019 survey asked students, "There are many health issues associated with Adverse Childhood Experiences (ACE). Go to the following link and take the short ACE quiz: https://www.npr.org/sections/health-shots/2015/03/02/387007941/take-the-ace-quiz-and-learn-what-it-does-and-doesnt-mean. What was your ACE quiz score?" Note, you do not need to take this quiz.
a. Create an appropriate graph to display the distribution of the variable called ACE and insert it here.

b. Which of the following best describes the shape of the distribution? Underline (or highlight) your answer.
Skewed left Uniform Skewed right
c. Using Minitab, calculate the basic statistics for the data collected on ACE. Copy and paste all of the Minitab output here.

| Variable | N | $\mathrm{N}^{*}$ | Mean | SE Mean | StDev | Minimum | Q1 | Median | Q3 | Maximum | IQR |
| :--- | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: |
| ACE | 635 | 0 | 1.5543 | 0.0812 | 2.0463 | 0.0000 | 0.0000 | 1.0000 | 2.0000 | 10.0000 | 2.0000 |

Choose statistics that are appropriate for the shape of the distribution to describe the center and spread of ACE.
d. Which statistic will you use to describe the center of the distribution? Median
e. In one or two sentences, describe why this statistic was chosen. Since the shape of the distribution is skewed right, the median should be used to describe the center of the distribution instead of the mean because the median is robust to outliers while the mean is highly affected by outliers.
f. What is the value of that statistic? 1
g. Which statistic(s) will you use to describe the spread of the distribution? Q1, Q3, and possible IQR
h. What is (are) the value(s) of that (those) statistic(s)? $\mathbf{Q 1 = 0 , Q 3 = 2 \text { , and possible IQR =2 }}$
i. Are there any outliers in this distribution? Justify your answer using the IQR rule or an appropriate plot.

IQR rule says that any value below Q1 - 1.5*IQR or above Q3 + 1.5*IQR are outliers.
$I Q R=Q 3-Q 1=2-0=2$, so 1.5 * $\mid Q R=1.5$ * $2=3$.
$Q 1-1.5^{*} \mid Q R=0-3=-3 \quad$ and $\quad Q 3+1.5^{*} I Q R=2+3=5$
Any value of 'ACE' below -3 or above 5 would be considered outliers.

Yes, there are definitely outliers in the distribution of 'ACE' on the upper end.

Minitab shows outliers with * on a boxplot:


Problem 3: Gender versus ACE. Question 2 of the survey asked students, "What gender do you identify with? (Female, Male, Other)" Question 4 of the SPRING 2019 survey asked students, "What was your ACE quiz score?"
a. Create a suitable graph to display the distribution of Gender and insert it here.

b. What is the mode of this distribution? Underline (or highlight) one option.

Female Male Other
c. Create a side-by-side boxplot to display the age of students for the different levels of Gender. (Go to Graph > Boxplot > One Y with Groups > OK. Select ACE for the "Graph variables" slot and Gender for the "Categorical variables for grouping" slot.) Insert your graph here.


Instructors: Please note the following summary was not required

| Variable | Gender | N | $\mathrm{N}^{*}$ | Mean | SE Mean | StDev | Minimum | Q1 | Median | Q3 | Maximum |
| :--- | :--- | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: |
| ACE | Female | 391 | 0 | 1.691 | 0.106 | 2.086 | 0.000 | 0.000 | 1.000 | 3.000 | 9.000 |
|  | Male | 239 | 0 | 1.301 | 0.126 | 1.949 | 0.000 | 0.000 | 0.000 | 2.000 | 10.000 |
|  | Other | 5 | 0 | 3.00 | 1.00 | 2.24 | 0.00 | 1.00 | 3.00 | 5.00 | 6.00 |
| Variable | Gender | IQR |  |  |  |  |  |  |  |  |  |
| ACE | Female | 3.000 |  |  |  |  |  |  |  |  |  |
|  | Male | 2.000 |  |  |  |  |  |  |  |  |  |
|  | Other | 4.00 |  |  |  |  |  |  |  |  |  |

Use the side-by-side boxplot found in part (c) to answer the following questions.
d. Which gender group has the largest variability in terms of their ACE score? Other but they all seem to be fairly the same
e. Which gender group has the highest median ACE score? $\underline{\text { Other }}$
f. Which gender group has the largest IQR in terms of their ACE score? Other
g. Discuss (two or more complete sentences) what this plot tells you. Both females and males have outliers unlike those whose chose "other" for gender. Those who identify as "other" tend to have a higher ACE score than those who identify as males and females with males appearing to have the lowest ACE score.

Problem 4: REGRESSION On the SPRING 2019 Math 1530 survey, question 9 asked students, "How many wrecks have you been in where you were the driver?" and question 10 asked students, "How many speeding tickets have you received?" We are interested in seeing whether we can use the number of speeding tickets to predict the number of wrecks a student has been in where they were the driver.
a. Create an appropriate graph to display the relationship between Tickets and Wrecks. Insert it here.

b. Does the plot show a positive association, a negative association, or no association between these two variables? EXPLAIN what this means with respect to the variables being studied.

Positive association: As the number of tickets increases, the number of wrecks increases.
Instructors: Some students may feel there is no association and the few outliers is causing to association to appear positive. Please give credit for this answer as well.
c. Describe the form of the relationship between Tickets and Wrecks.

## Moderately linear

Instructors: For those that said no association, then the form should be no association (random scatter)
d. Report the value of the correlation between this pair of variables? $\boldsymbol{r}=\mathbf{0 . 4 1 1}$
e. Based on the information displayed in the graph and the correlation you just reported, how would you describe the strength of the association?

The strength is moderate to weak.

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f. Using Minitab, obtain the equation for the least squares regression of Tickets on Wrecks. Copy \& paste the output here.

## Regression Equation

Wrecks $=0.4075+0.2466$ Tickets
g. Interpret the value of the slope in the least squares regression equation you found in part ( f ).

As the number of tickets increases by one ticket, the estimated number of wrecks increases by 0.2466 wrecks.
h. Use the regression equation in part (f) to predict the number of wrecks for a student that has had 3 speeding tickets. (Show your math.)

Predicted number of wrecks $=0.4075+0.2466^{*} 3=1.1473$ wrecks
i. How well does the regression equation fit the data? Explain. Justify your answer with appropriate plot(s) and summary statistics.


The association is very weak and can be seen clearly in the fitted line plot. There are a few points that are scattered far away from the regression line. The squared correlation ( $R^{2}$ ) indicates that $16.9 \%$ of the variation we observed in wrecks is explained by the linear relationship with tickets.

Note: Another scatterplot that is useful to see whether the model makes sense is the residual plot. This helps in determining the appropriateness of the regression model. Recall that the residuals are Residual = Observed Data Predicted Data. The residual plot shouldn't have any interesting features, like direction or shape. It should stretch horizontally with about the same amount of scatter about the horizontal line at 0 . There should be no bends and no outliers. We see that the plot above appears to have possibly some cause to worry.

Problem 5 (T): If the sum of the digits in your E number is an even number then do this question. (Omit this page/problem if the sum of the digits in your $E$ number is an odd number.)

Wall and Abortion: Question 14 from the SPRING 2019 Math 1530 survey asked students, "Do you support the idea of building a border wall between the U.S. and Mexico? (Yes, No)" and Question 15 of the survey asked students, "Would you identify yourself as pro-choice or pro-life on abortion? (Pro-choice, Pro-life)" We want to check if there is a relationship between Wall and Abortion among ETSU students. Assume the students who took the (SPRING 2019 Math 1530) class survey are from an SRS of ETSU students.
a. Create an appropriate graph to display the relationship between Wall and Abortion. Insert your graph here.

b. Create an appropriate two-way table to summarize the data. Insert your table here. (IN MINITAB: STAT $\rightarrow$ TABLES $\rightarrow$

CROSS TABULATION AND CHI-SQUARE. Make sure to select "Options" and click "No variables" under the "Display missing values for").

## Rows: Wall Columns: Abortion

|  | Pro-Choice | Pro-Life | All |
| :--- | ---: | ---: | ---: |
|  |  |  |  |
| No | 247 | 121 | 368 |
| Yes | 83 | 184 | 267 |
| All | 330 | 305 | 635 |

SUPPOSE WE SELECT ONE STUDENT AT RANDOM: (Calculate the following probabilities and show your work.)
c. What is the probability that this student supports the idea of building a border wall between the U.S. and Mexico and is pro-life?
$P=184 / 635=0.29=29 \%$
d. What is the probability that this student supports the idea of building a border wall between the U.S. and Mexico or is prolife?
$P=(305+267-184) / 635=0.611=61.1 \%$
e. What is the probability that this student does not support the idea of building a border wall between the U.S. and Mexico given the student is pro-life?
$P=121 / 305=0.3967=39.67 \%$
f. BONUS: Carry out a test for the hypothesis that there is no relationship between Wall and Abortion. Use a significance level of $\alpha=0.05$.
i. State the null and alternative hypotheses.
$H_{0}$ : There is no relationship between Wall and Abortion
$H_{a}$ : There is a relationship between Wall and Abortion
ii. Perform the test and include any output from Minitab here.

Rows: Wall Columns: Abortion

|  | Pro-Choice | Pro-Life | All |
| :--- | ---: | ---: | ---: |
| No | 247 | 121 | 368 |
|  | 191.2 | 176.8 |  |
| Yes | 83 | 184 | 267 |
|  | 138.8 | 128.2 |  |
| All | 330 | 305 | 635 |
| Cell Contents <br> Count <br> Expected count |  |  |  |

Chi-Square Test

$$
\begin{array}{llll} 
& \text { Chi-Square } & \text { DF } & \text { P-Value } \\
\hline \text { Pearson } & 80.488 & 1 & 0.000
\end{array}
$$

iii. Which test statistic are you using and what is its value? A chi-square test statistic and its value is $\mathbf{8 0 . 4 8 8}$
iv. State your decision and conclusion for the test. Based on the chi-square test results, the p-value is 0.000 . Therefore, at a $5 \%$ level of significance, we reject the null hypothesis and conclude there is a significant relationship between wall and abortion.
v. Examine the data. Are the conditions for inference in part (ii) violated? Explain.

## Conditions for inference about a chi-square test:

* No more than $20 \%$ of the expected counts are less than 5 and all individual expected counts are greater than 0 . All the expected counts are greater than 5.

[^0]Problem $5(H)$ : If the sum of the digits in your $E$ number is an odd number then do this question. (Omit this page/problem if the sum of the digits in your $E$ number is an even number.)

Gender and Textbook: Question 2 from the SPRING 2019 Math 1530 survey asked students, "What gender do you identify with? (Female, Male, Other)" and Question 5 of the survey asked students, "Do you prefer to read textbooks in print or on an electronic device (such as a smart phone, tablet, computer, or e-reader)? (In print, On an electronic device)" We want to check if there is a relationship between Gender and Textbook among ETSU students. Assume the students who took the (SPRING 2019 Math 1530) class survey are from an SRS of ETSU students.
a. Create an appropriate graph to display the relationship between Gender and Textbook. Insert your graph here.

b. Create an appropriate two-way table to summarize the data. Insert your table here. (IN MINITAB: STAT $\rightarrow$ TABLES $\rightarrow$ CROSS TABULATION AND CHI-SQUARE. Make sure to select "Options" and click "No variables" under the "Display missing values for").

## Rows: Gender Columns: Textbook

|  | In <br> print | On an <br> electronic <br> device | All |
| :--- | ---: | ---: | ---: |
| Female | 308 | 83 | 391 |
| Male | 170 | 69 | 239 |
| Other | 2 | 3 | 5 |
| All | 480 | 155 | 635 |

SUPPOSE WE SELECT ONE STUDENT AT RANDOM: (Calculate the following probabilities and show your work.)
c. What is the probability that this student identifies as a female and says they prefer to read a textbook in print?
$P=308 / 635=0.485=48.5 \%$
d. What is the probability that this student identifies as a female or says they prefer to read a textbook in print?
$P=(391+480-308) / 635=0.8866=88.66 \%$
e. What is the probability that this student identifies as other given the student prefers to read a textbook on an electronic device?
$P=3 / 155=0.0194=1.94 \%$
f. BONUS: Carry out a test for the hypothesis that there is no relationship between Gender and Textbook. Use a significance level of $a=0.05$.
i. State the null and alternative hypotheses.
$\mathrm{H}_{0}$ : There is no relationship between Gender and Textbook
$\mathrm{H}_{\mathrm{a}}$ : There is a relationship between Gender and Textbook
ii. Perform the test and include any output from Minitab here.

Rows: Gender Columns: Textbook

|  | In print | On an <br> electronic <br> device | All |
| :--- | ---: | ---: | ---: |
| Female | 308 | 83 | 391 |
|  | 295.56 | 95.44 |  |
| Male | 170 | 69 | 239 |
|  | 180.66 | 58.34 |  |
| Other | 2 | 3 | 5 |
|  | 3.78 | 1.22 |  |
| All | 480 | 155 | 635 |
| Cell Contents <br> Count <br> Expected count |  |  |  |

Chi-Square Test

|  | Chi-Square | DF | P-Value |
| :--- | :--- | :--- | :--- |
| Pearson | 8.155 | 2 | 0.017 |

iii. Which test statistic are you using and what is its value? A chi-square test statistic and its value is 8.155
iv. State your decision and conclusion for the test. Based on the chi-square test results, the p-value is 0.017 . Therefore, at a $5 \%$ level of significance, we reject the null hypothesis and conclude there is a significant relationship between gender and textbook.

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v. Examine the data. Are the conditions for inference in part (ii) violated? Explain.

Conditions for inference about a chi-square test:

* No more than $20 \%$ of the expected counts are less than 5 and all individual expected counts are greater than 0.

We see this assumption is not satisfied because the expected counts for "other and in print" and "other and on an electronic device" are less than five.

* The data is a random sample from the population. Here the problem states to assume the students who took the class survey are from an SRS of ETSU Students.

Problem 6: In 2018, Gallup conducted a survey on age of retirement (https://news.gallup.com/poll/234302/snapshot-americans-project-average-retirement-age.aspx). One question asked was the same as question 13 from the SPRING 2019 MATH 1530 survey. Question 13 of the survey asked students, "At what age do you expect to retire?" Gallup asked this question for three different age groups. It was found that average age one expects to retire (for age group 18-29) was 63. Since the majority of students taking MATH 1530 fall in the age group 18-29, the variable Retire_Age_18_29 was created. This variable contains the values of what age a student expects to retire for those students aged 18 to 29 . On average, is the age that ETSU students (aged 18-29) expect to retire the same as reported in the survey, 63 ?
a. Create a suitable graph to display the distribution of Retire_Age_18_29 reported by our sample of college students and insert it here.


Using $\alpha=0.05$, perform a test of significance to see if, on average, the age that ETSU students (aged 18-29) expect to retire the same as reported in the survey, 63 .
b. Write the correct null and alternative hypotheses for the test:
$H_{0}: \mu=63$
$H_{a}: \mu \neq 63$
c. Use Minitab to perform the appropriate test. Copy and paste the output for the test here.

Descriptive Statistics

| N | Mean | StDev | SE Mean | $95 \% \mathrm{Cl}$ for $\mu$ |
| ---: | ---: | ---: | ---: | ---: |
| 559 | 62.079 | 9.595 | 0.406 | $(61.282,62.876)$ |

$\mu_{:}$mean of Retire_Age_18_29

## Test

| Null hypothesis | $\mathrm{H}_{0}: \mu=63$ |
| :--- | :--- |
| Alternative hypothesis | $\mathrm{H}_{1}: \mu \neq 63$ |


| T-Value | P -Value |
| ---: | ---: |
| -2.27 | 0.024 |

d. What is the name of your test statistic and what is its value? $\boldsymbol{t}$ test statistic, $\mathbf{t = - 2 . 2 7}$
e. What is the P -value for the test? $\mathrm{P}=\mathbf{0 . 0 2 4}$
f. State your decision regarding the hypotheses being tested. Because the $P$-value is small (less than $\alpha=0.05$ ), we reject the null hypothesis.
g. State your conclusion. USE COMPLETE SENTENCES.

Based on the sample data provided, we reject the null hypothesis. We believe, on average, the age that ETSU students (aged 18-29) expect to retire is not the same as reported in the survey, 63.
h. What assumptions are you making in order to carry out this test? Is the $P$-value valid in this case?

ASSUMING the sample of ETSU college students from the Math 1530 survey can be treated as a random/representative sample of college students, the sample size, $n=635$, is large enough for the $t$-statistic to be valid. However, one may notice that there is an extreme number of outliers in this data and thus questioning the validity of the $t$-procedure.

Problem 7 Question 12 from the SPRING 2019 Math 1530 survey asked students "If you had to lose one of your five senses, which would you choose? (Hearing, Sight, Touch, Smell, Taste)." Many surveys have been conducted on which of the five senses would you want to lose if you had to lose one. One studied stated that $57 \%$ of people said smell would be the sense they would choose to lose (https://www.quibblo.com/pol//1JoM1SK/If-you-HAD-to-give-up-a-sense-which-would-it-be). Is the same true for the population of all U.S. college/university students?
a. Create an appropriate graph to display the distribution of Senses and insert it here.

b. How many of the students surveyed said "Smell" was the sense they would choose to lose? 396

| Senses | Count |
| ---: | ---: |
| Hearing | 29 |
| Sight | 24 |
| Smell | 396 |
| Taste | 113 |
| Touch | 73 |
| $\mathrm{~N}=$ | 635 |

c. What proportion of our sample said "Smell" was the sense they would choose to lose? 62.36

| Senses | Count | Percent |
| ---: | ---: | ---: |
| Hearing | 29 | 4.57 |
| Sight | 24 | 3.78 |
| Smell | 396 | 62.36 |
| Taste | 113 | 17.80 |
| Touch | 73 | 11.50 |
| $\mathrm{~N}=$ | 635 |  |

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d. Assume (for the purpose of this problem) that we may treat the SPRING 2019 sample of Math 1530 students as a simple random sample drawn from the population of all U.S. college/university students. Use Minitab to calculate a $95 \%$ confidence interval for the proportion of students in the population who chose "Smell" to the survey question (based on our sample data). Copy and paste the Minitab output here.

## Normal Approximation:

## Descriptive Statistics

| N | Event | Sample p | $95 \% \mathrm{Cl}$ for p |
| ---: | ---: | :---: | :---: |
| 635 | 396 | 0.623622 | $(0.585940,0.661304)$ |

## Exact:

## Descriptive Statistics

| N | Event | Sample p | $95 \% \mathrm{Cl}$ for p |
| ---: | ---: | ---: | :---: |
| 635 | 396 | 0.623622 | $(0.584648,0.661441)$ |

e. Interpret the confidence interval you reported in part (d).

With $95 \%$ confidence, the true proportion of students who would chose "Smell" to the survey question is between 58.6\% and 66.1\%.
f. What do you think? Do our results contradict the results obtained from the survey or do they appear to agree with it? EXPLAIN.

Because the value $57 \%$ is not within the calculated confidence interval, our sample suggests that the proportion of US college/university students that chose "Smell" to the survey question is not $57 \%$. Therefore, $57 \%$ is not within the $95 \% \mathrm{Cl}$ so our results did not appear to be in agreement with the survey conducted.

Instructors: A student may choose to answer this using a hypothesis test. The P-value is less than 0.05 , and thus we reject the null hypothesis and thus, our results did not appear to be in agreement with the survey conducted.

## Test

| Null hypothesis | $H_{0}: p=0.57$ |
| :--- | :--- |
| Alternative hypothesis | $H_{1}: p \neq 0.57$ |
| Z-Value | $p$-Value |


[^0]:    * The data is a random sample from the population. Here the problem states to assume the students who took the class survey are from an SRS of ETSU Students.

